# Drawing of Random Ten-Digit Numbers from Tables of Random Two-Digit and Three-Digit Numbers 

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#### Abstract

A method has been derived for drawing of random ten-digit numbers with the help of two tables of random numbers (one of random two-digit numbers and the other of random three-digit numbers). This paper describes the derivation of the method with numerical example in order to show the application of the method. The method derived here is the only method of drawing of random ten-digit numbers since no table of random ten-digit numbers is available till now for drawing of random none-digit numbers and also since no method of drawing of random ten-digit numbers is available till now.


KEYWORDS: Table of random two-digit numbers, table of random three-digit numbers, drawing of random ten-digit numbers, method of drawing.

## I. INTRODUCTION

There exist a number of tables of random numbers. These are mainly due to Tippett (1927), Mahalanobis (1934), Kendall \& Smith (1938, 1939), Fisher \& Yates (1938), Hald (1952), Royo \& Ferrer (1954), RAND Corporation (1955), Quenouille (1959), Moses \& Oakford (1963), Rao, Mitra \& Matthai (1966), Snedecor and Cochran (1967), Rohlf \& Sokal (1969), Manfred (1971), Hill \& Hill (1977) and others. Among these tables, the following four tables are treated as suitable in drawing of simple random sample (with or without replacement) from a population (Cochran, 1940): The tables of random numbers that had been constructed are of two-digit numbers, three-digit numbers and fourdigit numbers only. No table of random $m$-digit numbers is available till now for $m \geq 5$.
The proper randomness of the tables as mentioned above is yet to be tested. In a study made by Chakrabarty (2010) on the testing of randomness of the table due to Fisher and Yates (1938), it has been found that this table, consisting of the 7500 occurrences of the 100 two-digit numbers, is not properly random and deviates significantly from proper randomness. Due to this reason, one table consisting of 6000 random occurrences of the 100 two-digit numbers has been constructed as an alternative/competitor of this table (Chakrabarty, 2013a). Also, one table containing 5000 random occurrences of the 1000 two-digit numbers has been constructed by Chakrabarty (2013b) due to the unavailability of such table of two-digit numbers. Two more tables, one containing 20000 occurrences of random twodigit numbers and the other containing 20000 occurrences of random two-digit numbers, have also been constructed by the same author [Chakrabarty $(2016 a, 2016 b)$ ]. Recently, study has been made on testing the proper randomness of the random number tables due to Tippett (Sarmah \& Chakrabarty, 2014), due to Kendall \& Smith (Sarmah \& Chakrabarty, 2014b), due to Rand Corporation (Sarmah, Chakrabarty \& Barman (2015b). In the studies, each of the tables has been found to be suffered from proper randomness. This leads to think of constructing of table of random four-digit numbers. Moreover, there is or there may be necessity of drawing of random five-digit numbers, random six-digit numbers, random seven-digit numbers etc. However, due to the increasing difficulties in the construction of tables of these types of random numbers by the method composed by Chakrabarty (2013a), it had been compelled to think of an alternative approach of drawing of these types of random numbers. Chakrabarty has already developed methods of drawing of random four-digit numbers, random five-digit numbers, random six-digit numbers $\&$ random seven-digit numbers from a combination of independent tables of random two-digit numbers \& random three-digit numbers [Chakrabarty (2016c , $2016 d, 2016 e, 2016 f, 2016 g, 2016 h, 2016 i, 2017 a)]$. In a study, Chakrabarty (2016f) derived one method of drawing of random six-digit numbers from a single table of random two-digit numbers. Later on, one method has been developed for drawing of random nine-digit numbers from a single table of random three-digit numbers by applying the similar logic that had been applied by Chakrabarty in finding out the method of drawing of random six-digit numbers from a single table of random two-digit numbers. (Chakrabarty, 2017b). However, the necessity of drawing of random

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ten-digit numbers arises in the situation of drawing of random samples from a very large population. Therefore, an attempt has here been made on finding out some method of drawing of random ten-digit numbers. A method has here been derived for drawing of random ten-digit numbers with the help of two tables of random numbers (one of random two-digit numbers and the other of random three-digit numbers). This paper describes the derivation of the method with numerical example in order to show the application of the method. The method derived here is the only method of drawing of random ten-digit numbers since no table of random ten-digit numbers is available till now for drawing of random none-digit numbers and also since no method of drawing of random ten-digit numbers is available till now.

## II. DRAWING OF RANDOM TEN-DIGIT NUMBERS

Let $d_{1} d_{2}$ be a random two-digit number drawn from a table of random two-digit numbers.
The possible values that $d_{1} d_{2}$ assumes are the 100 two-digit numbers

$$
00,01,02, \ldots \ldots \ldots \ldots \ldots \ldots, 9,99
$$

and the probability that $d_{1} d_{2}$ assumes any of them is equal which is 0.01 .
Similarly, if $d_{3} d_{4}$ is another two-digit number drawn independently from the same table then the possible values that $d_{3} d_{4}$ assumes are also the 100 two-digit numbers

$$
00,01,02, \ldots \ldots \ldots \ldots \ldots \ldots, 98,99
$$

and the probability that that $d_{3} d_{4}$ assumes any of them is equal which is 0.01 .
Now if the two two-digit numbers namely

$$
d_{1} d_{2} \quad \& \quad d_{3} d_{4}
$$

are combined together to form the four-digit number $d_{1} d_{2} d_{3} d_{4}$
then the possible values that $d_{1} d_{2} d_{3} d_{4}$ assumes are the 10000 four-digit numbers $0000,0001,0002$ 9998, 9999
and the probability that $d_{1} d_{2} d_{3} d_{4}$ assumes any one of them is equal which is 0.0001
(since the two numbers $d_{1} d_{2} \& d_{3} d_{4}$ have been drawn independently).
Thus the four-digit number $d_{1} d_{2} d_{3} d_{4}$ is a random one.
Similarly, the other four-digit number

$$
d_{3} d_{4} d_{1} d_{2}
$$

is also a random one.
Again, let $d_{5} d_{6} d_{7}$ be a random three-digit number drawn from a table of random three-digit numbers.
The possible values that $d_{5} d_{6} d_{7}$ assumes are the 1000 three-digit numbers
000, 001, 002 998, 999
and the probability that $d_{5} d_{6} d_{7}$ assumes any of them is equal which is 0.001 .
Similarly, if $d_{8} d_{9} d_{10}$ is another three-digit number drawn independently from the same table
then the possible values that $d_{8} d_{9} d_{10}$ assumes are also the 1000 three-digit numbers $000,001,002$ $\qquad$ 908, 999
and the probability that $d_{8} d_{9} d_{10}$ assumes any of them is equal which is 0.001 . Now if the two three-digit numbers namely

$$
d_{5} d_{6} d_{7} \& d_{8} d_{9} d_{10}
$$

are combined together to form the six-digit number $d_{5} d_{6} d_{7} d_{8} d_{9} d_{10}$
then the possible values that $d_{5} d_{6} d_{7} d_{8} d_{9} d_{10}$ will assume are the 100000 six-digit numbers $000000,000001,000002$
and the probability that $d_{5} d_{6} d_{7} d_{8} d_{9} d_{10}$ assumes any one of them is equal which is 0.000001
(since the two numbers $d_{5} d_{6} d_{7} \& d_{8} d_{9} d_{10}$ have been drawn independently).
Thus the six-digit number $d_{5} d_{6} d_{7} d_{8} d_{9} d_{10}$ is a random one.

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Similarly, the other six-digit number

$$
d_{8} d_{9} d_{10} d_{5} d_{6} d_{8}
$$

is also a random one.
Now, if we combine one four-digit number with one six-digit number then we will get one ten-digit number.
Thus, the 2 random four-digit numbers

$$
d_{1} d_{2} d_{3} d_{4} \& d_{3} d_{4} d_{1} d_{2}
$$

and the 2 random six-digit numbers

$$
d_{5} d_{6} d_{7} d_{8} d_{9} d_{10} \quad \& \quad d_{8} d_{9} d_{10} d_{5} d_{6} d_{8}
$$

results in the 8 possible random ten-digit numbers

$$
\begin{array}{ccc}
d_{1} d_{2} d_{3} d_{4} d_{5} d_{6} d_{7} d_{8} d_{9} d_{10} & , \quad d_{1} d_{2} d_{3} d_{4} d_{8} d_{9} d_{10} d_{5} d_{6} d_{8} \\
d_{3} d_{4} d_{1} d_{2} d_{5} d_{6} d_{7} d_{8} d_{9} d_{10}, & d_{3} d_{4} d_{1} d_{2} d_{8} d_{9} d_{10} d_{5} d_{6} d_{8} \\
d_{5} d_{6} d_{7} d_{8} d_{9} d_{10} d_{1} d_{2} d_{3} d_{4}, & d_{5} d_{6} d_{7} d_{8} d_{9} d_{10} d_{3} d_{4} d_{1} d_{2} \\
d_{8} d_{9} d_{10} d_{5} d_{6} d_{8} d_{1} d_{2} d_{3} d_{4}, & d_{8} d_{9} d_{10} d_{5} d_{6} d_{8} d_{3} d_{4} d_{1} d_{2}
\end{array}
$$

If one of these 8 ten-digit numbers is selected at random, the selected number will be a random ten-digit number. If the process is repeated once, one more random ten-digit number is obtained.
By further repetitions, one can obtain more random ten-digit numbers.
Therefore in order to draw $n$ random ten-digit numbers from two tables of random numbers (one of random two-digit numbers and the other of random three-digit numbers) it is required to draw two sets, one of $n$ random four-digit numbers and the other of $n$ random six-digit numbers, from the table of random two-digit numbers and the table of random three-digit numbers respectively. Methods of drawing of random six-digit numbers and of random fouu-digit numbers are available in Chakrabarty (2016g) and Chakrabarty (2017a).

It is to be noted that any successive four digits and/or any successive six digits of different ten-digit numbers can be same. Conversely, with the same successive four digits and/or with the same successive six digits there can be different ten-digit numbers. Therefore, the random four-digit numbers as well as the random six-digit numbers to be drawn in order to form random ten-digit numbers need not necessarily be distinct.

It is further to be noted that the random selection of the choice of whether four-digit numbers will be placed at the left position or six-digit numbers will be placed at the left position while combining them in the formation of random tendigit numbers can be made afresh for each random ten-digit number to be drawn or can be made once, before drawing the random four-digit numbers and the random six-digit numbers, to be applied in the construction of all random tendigit numbers to be drawn.

Thus, in order to draw $\boldsymbol{n}$ random ten-digit numbers one can apply the following two methods:

## First method of drawing

In order to draw $n$ random ten-digit numbers, in this method, one can proceed with the following steps:
(1) Make a choice at random which random number (whether four-digit number or six-digit number) will be placed at the
left position and which random number will be placed at the right position while combining them in the formation of
random ten-digit numbers. This can be done by a binomial trial, for example tossing of a fair coin.
(2) Draw the set of $n$ random four-digit numbers by the method discussed in Chakrabarty (2017a).
(3) Draw the set of $n$ random six-digit numbers by the method discussed in Chakrabarty (2016g).
(4) Combine the respective random four-digit numbers and random six-digit by the choice of the positions obtained in step (1) to obtain the $n$ random ten-digit numbers.

## Second method of drawing

In order to draw $n$ random ten-digit numbers, in this method, one can proceed with the following steps:

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(1) Draw a random four-digit number and a random six-digit number from the respective tables of random number.
(2) Make a choice at random which random number (whether four-digit number or six-digit number) will be placed at the
left position and which random number will be placed at the right position while combining them in the formation of random ten-digit numbers. This can be done by a binomial trial, for example tossing of a fair coin.
(3) Combine the four-digit number with the six-digit number, obtained in step (1), as per the selected choice of the positions to obtain one random ten-digit number.
(4) Perform the above three steps more $(n-1)$ times to obtain more $(n-1)$ random ten-digit numbers.
(5) The random ten-digit numbers obtained in step (3) \& Step (4) are the required $n$ random ten-digit numbers.

## III. NUMERICAL EXAMPLE

Let it be wanted to draw 20 random ten-digit numbers from two tables, one of random two-digit numbers and the other of random three-digit numbers.

One set of the 20 random four-digit numbers, selected by the method discussed in Chakrabarty (2017a) are

```
0964,9647, 3955, 9483, 5237, 0790, 8050 , 6628,4254, 2736, 9951,0209, 8990, 2827, 5042, 5213, 3646,
    8159,5327,3477.
```

Similarly, one set of the 20 random six-digit numbers, selected by the method discussed in Chakrabarty (2016g) are

```
647090,487296, 559139, 083984, 937522,090072, 590808, 287466,542422, 360279,551998,094402
    970892,274286, 426500, 137182, 646336, 559811,278503,774354.
```


## First method of drawing

Let a trial namely the throwing of an unbiased coin be performed to make a choice which set's two-digit number will be placed at the left position and which set's two-digit number will be placed at the right position while combining them in the formation of random four-digit number.
Suppose, the selected choice is as follows:
Four-digit number will be placed at the Right position, \& Six-digit number will be placed at the Left position.

Now, combining the 20 random four-digit numbers with the corresponding random six-digit numbers as per the selected choice of combination, one can obtain the following 20 random ten-digit numbers:

```
0964647090, 9647487296, 3955559139, 9483083984 , 5237937522, 0790090072 , 8050590808
6628287466 , 4254542422, 2736360279 , 9951551998 , 0209094402 , 8990970892, 2827274286
    5042426500, 5213137182, 3646646336 , 8159559811 , 5327278503 , 3477774354.
```

These 20 ten-digit numbers are the required random ten-digit numbers as wanted to draw.

## Second method of drawing

First, let us draw one random four-digit numbers and one random four-digit numbers.
Let the two numbers drawn be

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0964 , 647090
Let a trial namely the throwing of an unbiased coin be performed to make a choice which set's two-digit number will be placed at the left position and which set's two-digit number will be placed at the right position while combining them in the formation of random four-digit number.
Suppose, the selected choice is as follows:
Four-digit number will be placed at the Left position, \& Six-digit number will be placed at the Right position.

Thus, the $1^{\text {st }}$ selected ten-digit random number is 0964647090 .

In order to obtain the remaining 19 random ten-digit numbers, the two steps are to be repeated 19 times.
Let the outcomes of all the 20 trials be as follows:

Table-I

| Serial No of Trial | Four-digit Number obtained | Six-digit Number obtained | Outcome of the Random Trial: Position of |  | Selected Random Six-Digit Number |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | four-digit Number | six-digit <br> Number |  |
| 1 | 0964 | 647090 | Left | Right | 0964647090 |
| 2 | 9647 | 487296 | Left | Right | 9647487296 |
| 3 | 3955 | 559139 | Right | Left | 5591393955 |
| 4 | 9483 | 083984 | Right | Left | 0839849483 |
| 5 | 5237 | 937522 | Left | Right | 5237937522 |
| 6 | 0790 | 090072 | Right | Left | 0900720790 |
| 7 | 8050 | 590808 | Left | Right | 8050590808 |
| 8 | 6628 | 287466 | Right | Left | 2874666628 |
| 9 | 4254 | 542422 | Left | Right | 4254542422 |
| 10 | 2736 | 360279 | Left | Right | 2736360279 |
| 11 | 9951 | 551998 | Right | Left | 5519989951 |
| 12 | 0209 | 094402 | Left | Right | 0209094402 |
| 13 | 8990 | 970892 | Right | Left | 9708928990 |
| 14 | 2827 | 274286 | Right | Left | 2742862827 |
| 15 | 5042 | 426500 | Left | Right | 5042426500 |
| 16 | 5213 | 137182 | Left | Right | 5213137182 |
| 17 | 3646 | 646336 | Right | Left | 6463363646 |
| 18 | 8159 | 559811 | Left | Right | 8159559811 |
| 19 | 5327 | 278503 | Left | Right | 5327278503 |
| 20 | 3477 | 774354 | Right | Left | 7743543477 |

Thus, the 20 random ten-digit numbers as wanted to draw are
0964647090, 9647487296, 5591393955, 0839849483, 5237937522, 0900720790, 8050590808, 2874666628, 4254542422, 2736360279, 5519989951, 0209094402, 9708928990, 2742862827, 5042426500, 5213137182, 6463363646, 8159559811, 5327278503, 7743543477.

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## IV. CONCLUSION

There is unavailability of table of random ten-digit numbers. Therefore, it has not yet been possible to draw random ten-digit numbers using random numbers table. The method of drawing of random ten-digit numbers, developed here, is the only way of drawing of random ten-digit numbers in the absence of table of random ten-digit numbers.

The method of drawing of random ten-digit numbers, discussed in this article, is based on the drawing of random fourdigit numbers from a single table of random two-digit numbers and drawing of random six-digit numbers from a single table of random three-digit numbers. There may be possibility of some method of drawing of random ten-digit numbers from four tables, namely two independent tables of random two-digit numbers and two independent tables of random three-digit numbers, that can be derived by similar way as the derivation of the method derived here. However, this method is yet to be searched for. At this stage therefore, it is one problem for the researchers to search for this method..

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